Do Newspaper Ads Raise Voter Turnout?

Evidence from a Randomized Field Experiment

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Abstract

This study describes the first randomized field experiment gauging the effects of political advertising in newspapers. From the population of municipalities holding local elections in 2005, we identified 4 pairs of cities that were closely matched in terms of past voter turnout, incumbent mayoral support by the council in the previous election and two institutional features: nonpartisan balloting and mayoral appointment by council vote. One city in each pair was randomly assigned to receive a nonpartisan newspaper ad that encouraged readers to vote in the 2-3 days leading up to Election Day. A confirmatory analysis suggests newspaper advertisements likely increase voter turnout in elections by a small amount.
Citizens in the United States interact more frequently and more directly with local government than any other level of government. Local governments are responsible for providing a vast array of services that typically include tax collection, public utilities and education, and police and fire protection. Despite the fact that survey research indicates Americans’ confidence in local government exceeds faith in state and federal levels, far fewer citizens turn out to vote in local elections compared to higher-level contests. Local elections tend to attract less than one-third of the voting-eligible electorate, and turnout often dips below ten percent in many jurisdictions.

Several explanations have been posited to account for low voter turnout in municipal elections. One possibility is that voters are generally pleased with their local governments and find few incentives to participate. This is perhaps the most benign possibility. An alternative explanation is that local elections are often lopsided contests in which the outcome is a foregone conclusion. Voters take little interest in these pro forma elections. A third explanation suggests municipal elections are low-salience affairs. Lacking the intense attention and visibility of state and federal contests, voters remain less informed and weakly mobilized to participate. Still another possibility is that turnout in municipal elections might also be low because it is perceived that there is less at stake or that the candidates broadly agree on what should be done.

This study examines the effects of a nonpartisan newspaper advertising campaign designed to encourage voter participation. The central hypothesis is that a mass communication campaign that reminds voters of the upcoming election and stresses the importance of electoral participation raises voter turnout by providing information and
increasing interest and motivation. As Rosenstone and Hansen (1993: 175-176) argue, “mobilization underwrites the costs of participation.” Accordingly, we believe that mobilization appeals delivered via mass media communications elevate turnout by decreasing the costs of participation in elections.

The capacity of a wide range of grassroots activities to motivate electoral participation has been subjected to academic scrutiny by numerous studies over the past decade. Scholars have relied increasingly on randomized field experiments to show that techniques like door-to-door canvassing, direct mail (Gerber and Green 2000; Green and Gerber 2008, chapters 3, 5), volunteer phone calls (Nickerson 2007b), text messaging (Dale and Strauss 2009), street signs (Panagopoulos 2009) and Election Day festivals (Addonazio, Green and Glaser 2007) can effectively boost turnout, while others, including leafleting (Gerber and Green 2008), commercial and automated phone calls (Gerber and Green 2000; Green and Gerber 2008, chapter 6) and email (Nickerson 2007a) appear to exert weak effects on turnout. Subsequent experimentation that has investigated the socio-psychological mechanisms that underlie these effects has also revealed that message contents may matter a great deal; appeals delivered via mail that tap into social pressure to comply with voting norms (Gerber, Green and Larimer 2008; Abrajano and Panagopoulos 2011; Mann 2010), express gratitude for prior voting (Panagopoulos 2011), or that activate emotions like pride or shame (Panagopoulos 2010; Gerber, Green and Larimer 2010) elevate turnout appreciably more than basic reminders or civic duty messages.

Despite these insights, gleaned from over 100 randomized field experiments conducted over the past decades, field experimental studies designed to gauge the
mobilizing effects of campaign communications delivered via mass media are rare. This lacuna in the literature is understandable given the complexities and often-prohibitive costs associated with executing real-world interventions using mass media, but regrettable when we take into account these outlets’ capacities to reach vast audiences and campaigns’ heavy reliance on mass media communications in actual campaigns. Even modest treatment effects may imply that mass media advertisements may rival even the most efficient campaign mobilization techniques.

A handful of pioneering studies have overcome these obstacles to examine the effectiveness of mass media advertisements designed to stimulating voting. A series of randomized field experiments using nonpartisan advertisements delivered via radio in mayoral (Panagopoulos and Green 2008) and congressional (Panagopoulos and Green 2011) races (the latter targeted Hispanic voters) suggest radio campaigns appear to have some positive impact on turnout. Green and Vavreck (2008) subjected cable advertising to randomized experimentation and found evidence that such appeals motivate voting. This experimental voter mobilization literature on mass media advertising effects provides some guidance about the likely impact of newspaper advertisements, suggesting the estimated bump in turnout should range between 1 and 4 percentage points on average.

Curiously, no experimental study of which we are aware to date has investigated the mobilization impact of newspaper advertisements. There exist over 1,600 daily newspapers across the United States (Trent and Friedenberg 2000), and newspaper advertisements are a popular campaign communications tactic in local elections. In a recent study of consultants who have worked in local elections, Strachan (2003) reports
that 79 percent of consultants indicate their clients in local elections use newspaper advertisements. In fact, the consultants used newspaper advertisements more frequently than several other campaign activities in local elections including television advertisements, door-to-door canvassing, literature drops and Internet sites (Strachan 2003: 25). Descriptive studies also show newspaper advertising is widespread in federal campaigns. Herrnson (2004) reports 63 percent of all candidates for the U.S. House and 80 percent of U.S. Senate campaigns in 2002 purchased newspaper ads in local or statewide newspapers. Despite the fact that newspaper readership has declined over the past few decades (Paletz 1999), campaigns typically find several advantages to newspaper advertising. A key consideration is that ad space is always available. Unlike radio and television, which are constrained by time availability, newspapers can always find space to display advertising (Shea and Burton 2002). Newspapers also increasingly segment their advertising markets to permit precise targeting (Shea and Burton 2002). Thus, studying the effects of newspapers in a systematic fashion provides important new evidence about the effectiveness of mass communication.

This paper breaks new ground by conducting a randomized field experiment to assess the effects of nonpartisan newspaper advertising. The central hypothesis is that a mass communication campaign that reminds voters of the upcoming election and stresses the importance of electoral participation raises voter turnout by providing information and increasing interest and motivation. The experiment is based on a sample of mayoral elections that took place in November 2005. Municipal elections have several advantages. First, they allow us to study the effects of newspapers in campaign environments that would naturally attract newspaper advertising when other media
(television or radio, for example) are often prohibitively costly or difficult to target to a geographically compact area. Local elections, due to their low salience, are also ideal laboratories within which to study the effects of newspaper advertising. The fact that these elections occur in off-years, typically with little competition from other campaign communication, makes it easier to isolate the effects of our intervention. Although the external validity of our results remains an open question, the experiment does provide useful information about low-salience elections in which newspaper communication occurs in a campaign environment with few competing messages. Given the lopsided nature of municipal elections and legislative elections at the state and federal level, the applicability of these findings is potentially quite broad.

This paper proceeds as follows. First, we describe the procedure by which the experimental sample was created and the way in which observations were randomly assigned to treatment and control groups. Next, we describe the content and timing of the newspaper campaign. We then discuss the analytic approach used to test the hypotheses about the effects of newspaper ads on voter turnout and describe the results. We conclude by discussing the implications of these findings and by suggesting directions for future research.

**Experimental Design**

*Sample construction.* Of the nation’s 1,183 cities and towns with populations of over 30,000, 281 municipalities held municipal elections in November 2005. In order to maximize the statistical power of our experiment given our budget constraints, we sought to create a sample of observations that, within experimental strata, were as homogeneous
as possible. We gathered detailed information about the institutional and political characteristics of municipal elections these cities in order to create matched pairs. The matching criteria included voter turnout in the previous municipal election, council support for the incumbent mayor in the previous election (unanimous or not), whether local elections were partisan or nonpartisan (nonpartisan) and whether or not town councils appointed the mayor. All of the cities and towns included in the final sample were municipalities in which the local executive is selected by council vote (as opposed to by popular vote). Using the criteria described above, we identified 4 closely matched pairs of cities. Once the matching exercise was completed, we randomly assigned one city in each pair to the treatment group and the other to the control group.

Table 1 presents a list of the 4 pairs included in the final sample and provides details about the each of the matching criterion for the corresponding localities. The matched pair design used here in effect creates four distinct $N=2$ experiments, and the models presented below analyze the data using a matched pair framework.

Did the randomization work as expected? We assess balance further in two ways: (1) an omnibus test which compares treatment versus control differences on a number of covariates to the differences that we would expect to observe from an ideal randomized experiment following the same design as this one (Hansen and Bowers 2008) and (2) some inspection of the covariate-by-covariate differences (not useful as tests per se but to give us hints about where chance imbalances might lie in case they might make substantively meaningful differences in our interpretation of the experiment.) (Bowers 2011).
The omnibus balance test reports that the configuration of our data would not be very surprising (p=0.5) from the perspective of the hypothesis that the two groups do not differ in any linear combination of the covariates.\textsuperscript{1} Even if the actual experiment as a whole compares unsurprisingly with our image of a well-randomized experiment, might one or two substantively meaningful covariates appear imbalanced? If they were, they would not impeach the randomization procedure but might encourage closer inspection of their relationships with treatment effects.

Figure 1 shows the differences between treated and control units on these covariates using boxplots with scatterplots overlaid. The thick gray horizontal segments are the means within the control and treated groups. Pairs of cities are shown using symbols. The variables are all pair-mean centered, or pair-mean aligned, in which the mean of the variable within the pair is subtracted from the individual city’s values. This allows us to see all of the points on a common scale but also to preserve the meaningful units (such as dollars or years). We see overlap in the distributions of baseline turnout, numbers of candidates, and population within pairs. The treated and control groups diverge rather dramatically, however, in median household income and median age. The quantification of these individual imbalances suggests some caution in interpreting results.

\textsuperscript{1} An hypothesis test compares what we observe with a distribution characterizing variation in a hypothetical world. Although large datasets justify the common use of the t-distribution (and/or Normal distribution) as the reference distribution, this study is small enough to raise concerns about the suitability of such approximations. To address this concern we never use a large sample approximation in any analysis in this paper. All of the hypothesis tests and confidence intervals reported compare what we observe to a reference distribution generated by enumerating the possible ways to re-run the experiment: that is, our experiment is small enough that we do not need to approximate, rather, we enumerate. A test that appeals to an enumerated distribution is often known as an “exact” test. See Keele, et al (2012) for an introduction to this approach for experiments in political science. See also Rosenbaum (2010, Chapter 2), for a more general introduction to randomization inference.
since the p-values against the null of no difference are small (p=.125 for both covariates)\textsuperscript{2} Yet, confounding only arises when a covariate is imbalanced with respect to treatment and is also predictive of outcomes. These imbalanced covariates, do not strongly predict vote turnout (p-values for the null hypothesis of no relationship between covariates and turnout are .18 for median age, .48 for median household income, and .62 for percent black).

[Figure 1 here]

The omnibus test suggested that it would not be surprising to see such a pattern of balance and imbalance as depicted in Figure 1 from an idealized and well-randomized study (p=.5). In fact, as a general rule, small but well run experiments may well show such imbalances in one or more covariates. So these imbalances do not impugn the administration of the study. We will attend to the question of how (and whether) to adjust for selective covariate imbalance later.

\textit{Newspaper treatment.} Localities in the treatment group were exposed to either full or half-page newspaper advertisements that presented a nonpartisan get-out-the-vote message to readers. Newspaper advertisements were printed between November 5\textsuperscript{th} and Election Day. Advertisements were professionally designed and produced by a nationally well-established political consulting and media firm. The black-and-white ads were printed in the local newspaper of record in each municipality. The corresponding newspapers are indicated in Table 1.\textsuperscript{3}

[Table 1 here]

\textsuperscript{2} The smallest p-value possible in this study is .0625=1/16 because there are only 16 ways to assign treatment here. The next smallest p-value is .125=2/16.

\textsuperscript{3} We combine the full and half-page treatments when we talk about comparing “treated” to “control” groups.
Voters in each locality were urged to vote on Election Day. Below is the text that appeared in the advertisement. A copy of the ad is included in the Appendix.

Headline: All Politics is Local.

Text: And your local government is responsible for things that affect your everyday life. From tax assessment to police protection and clean drinking water—it’s all part of local government. As a voter, you have the power to make informed decisions about the candidates and the issues. Now more than ever, your community and your country need to hear what you think. But your opinion won’t be heard unless you vote this Election Day. Make a difference. Vote November 8\textsuperscript{th}.


Unadjusted Test of the Strict Null Hypothesis

The first and simplest question is whether the data and design provide enough information to render implausible a hypothesis that the treatment had absolutely no effect on any city\textsuperscript{4}. Because we have the disadvantage of a very small study but the advantage of having randomly assigned treatment within pairs, we analyze the experimental data using randomization-based inference. This mode of statistical inference is particularly well-suited for small experiments because it does not require us to claim that $N=8$ is large

\textsuperscript{4} We acknowledge that some voters in our treatment localities may not have been exposed to our newspaper intervention, however actual rates of exposure (contact rates) to our messages are unavailable. Accordingly, we report intent-to-treat effects throughout.
enough to justify use of the large-sample statistical theory underlying the more common \(t\)-test. The following analyses show that our observed data are unsurprising from the perspective of this hypothesis (often known as the “sharp” or “strict” null hypothesis of no effects). The observed test-statistic for the treatment effect of 1.5 percentage points is \(p=.38\) (using a rank-based test to account for outcomes that are overly skewed, we estimate a treatment effect of 6 percentage points with an observed test statistic of \(p=.44\)). Another advantage of our testing framework beyond its usefulness in small samples is that these kinds of tests make no claims about the distribution of the outcome, homoskedasticity, or functional form relating treatment (or covariates) to the outcome or to each other. The treatment-versus-control differences are unsurprising from the perspective of this null hypothesis of no effects on any city. We more or less expected this result from the beginning: Turnout effects tend to be in the single digits in field experiments of turnout in the United States (Green and Gerber 2008), and our sample of cities is very small.

Even if “no effect” is unsurprising, however, we still might be interested in asking other questions of this design and data: What kinds of turnout effects would be surprising from the perspective of our data? Let us start by a simple inspection of the raw relationship. Consider the following figure, Figure 2, where each pair has a different symbol, the mean outcome in the two groups is depicted in a thick gray line segment and a box plot of the distribution of outcomes in the two groups is overlaid (so that the median is the thin gray line inside the boxes). This plot suggests that the distribution of outcomes in the treatment group is shifted upwards compared to the outcomes in the control group. The y-axis is in units of “proportion turning out to vote” but it is relative to
the mean level in the pair—so the control units tended to have lower turnout that the
mean in the pair (i.e. lower turnout than the treated units) and thus we see negative
numbers. This plot, as well as previous theory and motivation for the experiment,
recommend that we ask questions about a shift in distribution—a shift by some constant
which is the same across all cities. When we assessed hypotheses of this form
(hypotheses arising from what is often called the model of constant additive effects (Cox
1958; Rosenbaum 2010, Chap 2)), we find that the one-sided 87% confidence interval is
bounded from above by a difference of 6 percentage points of turnout. That is, we can say
that our data are fairly surprising from the perspective of hypotheses of constant additive
effects greater than 6 percentage points—where we begin to be surprised when \( p < .125 \).
The point estimates here (which are, roughly speaking, the values of the treatment effect
one would have to remove in order to align the distributions of the treated and control
groups in terms of some test statistic and are known as “Hodges-Lehmann point
estimates” (Hodges, J. and Lehmann, E. 1963; Rosenbaum 1993)) differ between the
mean-based estimate of 1.5 percentage points and the rank-based estimate of 3.25
percentage points; differences between means and medians often arise from outliers or
skewed distributions (we can that the distance between means is smaller than the
difference between medians as the differences between the corresponding horizontal lines
on that boxplot). We notice from the plot that the Battle Creek/Midland pair had a fairly
large and negative effect—this pair is a candidate for the influential point(s) that make
the rank and the mean based point-estimates. This negative turnout difference was also
very large compared to the other turnout differences in our data. So, we wonder whether
our model “fits”; that is, does it really bring the two distributions of treated and controls
into alignment? Figure 3 compares the results of applying the model that we just assessed. Clearly, there is an argument for using the ranks—the middle panel shows that units in the treatment group are brought much closer to the units in the control group if we adjust using the difference of medians (the panel labeled “Rank HL Adjusted”) compared to the panel in which the treated units are moved toward the controls following the difference of means HL estimate (the panel labeled “Mean HL Adjusted”). We may worry, however, that the Battle Creek/Midland pair is exerting undue influence on these results or is not well fit by this simple model of treatment effects (for example when either the medians or the means are brought closer together overall, the points representing Battle Creek and Midland [the triangles] move farther apart: showing that the hypotheses are not doing a good job of explaining that one pair); we return to this concern below.

[Figures 2, 3 here]

Overall, the model of constant treatment effects implies a shift in distribution between treated and control units. Our data are surprising from the perspective of this model when the size of the shift is 6 percentage points of turnout or more. Yet, we have lingering concerns that perhaps this simple model is not as substantively interesting as a model in which the treatment backfires in at least some cities. We proceed with analyses to take this into account.

**Identify Surprising Effects: Attributable Effects**
In our initial analyses above, we essentially ignored the pattern shown in Figures 2 and 3 in which three treatment cities displayed higher turnout than the corresponding control cities and one pair in which the pattern reversed and was stronger than any other within-pair difference. Also, the model of effects that we assessed involved the same treatment effect for every pair, yet, close inspection of Figure 2 shows the pairs with lower turnout in control cities seemed to have larger differences than pairs with higher turnout. So, we have two reasons to ask questions about effects that go beyond the models of constant additive effects: either we might want to know how plausible it would be for treatment to be largely positive but rarely (yet dramatically) negative and/or we might wonder whether there is some relationship with baseline turnout and the intervention. The previous questions could have been formalized as saying that potential outcomes in response to treatment, \(y_{Z=1,i} = y_{1,i}\), are exactly the same as potential outcomes in response to control, \(y_{0i}\), or \(H_0: y_{1i} = y_{0i}\). Our assessment of the idea that turnout might increase by the same amount in every city in treatment could have been written \(H_0: y_{1i} = y_{0i} + \tau\). Of course, we are not restricted to these questions, and a kind of question that suggests itself in this case, in which we have two non-constant patterns of response to treatment, is \(H_0: y_{1i} = y_{0i} + \tau_i\) — i.e. each unit has its own additive treatment effect. With this model we can ask questions about both collections of \(\tau_i\) or, perhaps more usefully, we can ask questions about aggregates of \(\tau_i\). In particular, we might wonder about the sum of the within-treated unit effects, \(A = \sum_{i=1}^{n} \tau_i\) — the total number of turnout percentage points increased by the treatment across all cities in the study. Rosenbaum (2001, 2002) called this estimand an “attributable effect” and developed it in the context of binary outcomes where \(\tau_i\) was restricted to be either 0 or 1. Hansen and Bowers (2009) applied this model
to the case of few strata and clustered treatment assignment in a study of binary vote turnout. Here we extend the method to encompass outcomes that are not binary but are counts. That is, we can think of $A$ as “total percentage points of turnout caused by the treatment across all cities”: this estimate summarizes the various $\tau_i$, where now we let $\tau_i$ be an integer rather than the 0 or 1 as used in previous work. This simplifies the outcome variable somewhat (from a real, decimal, number to an integer) but in a study of this size the loss of measurement precision is not substantively meaningful.

Recasting our questions in this way implies that, for a given hypothesized $A_0$ (say, $A = 1$), we can list all of the ways that a vector of $\tau = \{\tau_1, \tau_2, \tau_3, \tau_4\}$ can be summed to that number. If all of the elements of $\tau$ are nonnegative, we can list the partitions of the integer $A_0$ and evaluate how surprising our data would look from that perspective for each partition. (We do not strictly use partitions, however, since we want to allow at least one set to have negative numbers. For an introduction to partitions see Niven (1965, Chapter 6). Consider the case of $A=0$; if we allow negative effects, one can show that there are 6181 ways for four integers, each having values between -10 and 10, to add up to 0. If we reject all of those “atomic hypotheses” (i.e. hypotheses that differ in the details about which treated unit receives which amount of treatment effect but which all sum to 0), then we can reject $H_0: A_0=0$. If we cannot reject at least one of them, then we say that we cannot reject $A_0=0$. On a dataset this small, and with reasonable substantive limits on the unit level hypotheses of interest, we can directly test all of the atomic hypotheses implied by a substantively interesting range of $A$ conditional on a limited set of individual level $\tau_i$ (that is, there are an infinite number of ways positive and negative integers can sum to 0, but there are only a finite number of ways the integers between -10 and 10 can do so and
we are willing to only entertain hypotheses in which the treatment increased turnout by less than 10 points, or decreased turnout by no more than 10 points). Figure 4 shows both ranges of two-sided $p$-values for the atomic hypotheses associated with a given composite hypothesis (defining the x-axis). We switch to considering two-tailed tests here because we are considering both positive and negative null hypotheses about $A$ and $\tau_i$ in this bit of exploratory analysis following the discovery that the treated-control difference between Battle Creek and Midland was strongly negative.

[Figure 4 here]

What does it mean that hypotheses about $A$ make our data surprising when $A$ is more than 36 percentage points of turnout? Since we considered hypotheses in which turnout in the control groups decreased, we focus here on the two-sided interval, looking more closely at two hypotheses: $H_0 : A_0 = 36$ and $H_0 : A_0 = 37$. We find that different collections of hypotheses about 7, 8, 9, and 10 percentage points of turnout are all equally unsupported by our data at the $\alpha = .125$ level. The largest, total amount of turnout in which at least one atomic hypothesis was not rejected at $\alpha=.125$ was 36 (and, in this case, it was only one atomic hypothesis with a $p=.25$ which causes us to not-reject $A_0=36$ and thus leave it inside the confidence interval). In Rosenbaum’s attributable effects framework, we only attribute one point of turnout to each unit, so we could merely divide 36 by the number of treated units to conclude that the upper-bound on a two-sided 87% confidence interval for the number of percentage points of turnout attributable to the treatment is $36/4 \approx 9$ percentage points: Nine percentage points per treated city is the average atomic hypothesis for $A=36$. Although this approach is reasonable, it was built

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5 A replication archive containing all of the data and syntax files used to produce the analyses we report in this study is available at: [TBD]
for binary outcomes: our outcomes (which we are treating as a count of percentage points) offer us more information about the outcomes for each unit. For example, we also see that the hypotheses which sum to 36 (and which obey our restrictions on \( \tau_i \)) involve \( \tau_i \) which are never less than 6. In our analysis, in fact, we never observe more than one treated city with \( \tau_i=6 \) where \( A=36 \). Notice also that the attributable effects includes nested within it the constant effects hypothesis: \([-7 - 6] \) bound the two-sided 87% confidence interval for \( \tau \) in that model). That is, when we assess the constant effects hypotheses, we also learn something about the unit-specific hypotheses that we assess here. So, there are a couple of obvious ways to translate the 36 percentage points of turnout finding from the aggregate to the units. We could argue, as we do above, that the 36 percentage points finding can be understood as about 9 percentage points on average. However, because our outcome is not binary, in principle, we can know more about the specific hypotheses which were more or less supported by our data when \( A_0 = 36 \) than might be revealed by an average. For example, we might focus attention on the atomic hypotheses which summed to 36 but which were most supported by the data (which made the data least surprising). The largest, but least surprising hypotheses about the effects of this intervention summed to 36 points of turnout across the four cities, but among atomic hypotheses adding up to 36, the least surprising one allocated 6 percentage points to the treatment effect in the first pair (where Sioux City was treated) and 10 percentage points to the treatment effect in the other pairs.

Finally, let us consider the hypotheses about \( A \) that made the data surprising, but for \( A_0 \) which we could not reject from the confidence interval because at least one of the atomic hypotheses contained within it could not be rejected. In Figure 4 we see this
interval at the center of the plot: from about 3 percentage points of turnout to about 9 points of turnout no atomic hypothesis was incompatible with the data, but hypotheses begin to make our data surprising for $A$ greater than 9 and less than 3.

There are two kinds of questions that we can address with this analysis: (1) which hypotheses about $A$ and $\tau$ make our data look very strange (and thus are worthy of rejection from an interval of plausible values) and (2) which hypotheses make our data look least surprising. It is clear that our data look unsurprising from the perspective of hypotheses about $A$ from 3 to 9: no atomic hypothesis in that range received a $p$-value less than .25. The mean atomic hypothesis in this central, not-rejectable, range was about 1.5 percentage points per unit. Or, we can say that even among the most surprising hypotheses about $A=4$, 5 or 6 total points of turnout, the mean atomic hypotheses were unequal—2.5 points for the first pair, about 0 points for the second pair, 2 and 1.6 points for the third and fourth pairs respectively. Recall that second pair was Battle Creek/Midland where the treatment-minus-control difference was -7 points of turnout. The attributable effects approach has the benefit of allowing us to ask questions about effects defined for each unit. In a study like this one, we have the luxury of actually canvassing these hypotheses. The costs of the approach are computational (we tested 194,481 hypotheses in about five minutes) and, more importantly, conceptual: how should we summarize the results of such an analysis? We have tried to go back and forth between talking directly about total percentage points of turnout and unit level summaries such as means of the unit-level effects which add up to the totals. We cannot exclude the idea that this study had no effects at all. Yet the hypotheses that are least surprising do
not include 0 total points of turnout but rather are centered around 3 to 9 total percentage points of turnout distributed unequally across the 4 cities treated in this study.

An Exploratory Epilogue

We now consider an additional, intriguing possibility, largely by way of a supplemental, exploratory analysis spurred by the suggestion that the intervention had a negative effect in Midland. What if we could exclude the Midland/Battle Creek pair from our analysis? This pair of cities in Michigan had the lowest turnout in elections held before the intervention of all the cities included in the study (turnout in the elections held prior to 2005 was 12 and 13 percent for Battle Creek and Midland respectively). We do not have adequate qualitative information to discuss the mechanisms by which a treatment intervention in a low-turnout city may backfire. Imagine, however, that a some hidden moderator causes interventions to increase turnout in most units but decreases turnout in others. Since we only have one pair where we observe a negative effect, we cannot split the data into two subgroups to analyze the negative versus positive effects pairs. Instead we exclude the Midland/Battle Creek pair and analyze the remaining subgroup (the three pairs in which we saw no dramatic downward shifts in turnout).

When we restrict attention to the positive pairs (going from $N=8$ to $N=6$), we find, surprisingly, that the null of no effects is no longer so plausible ($p=.125$). In this case, the data would be surprising from the perspective of the hypothesis—as surprising as possible with only 6 units in 3 pairs since $p$-values less than .125 are not possible with only 8 possible ways to assign treatment in 3 pairs. We observe that a gain in
homogeneity on outcomes more than makes up for the loss in sample size. The 75% confidence interval for the constant effects hypotheses now ranges from 3 to 6 (compared to -7 to 6 when we consider all 8 cities).

Next we turn to considering attributable effects. Recall that the composite hypothesis is rejected only if all of the atomic hypotheses under it are rejected. We use $\alpha=0.25$ since the minimum $p=0.125$ and thus a two-tailed hypothesis test has minimum $p=0.125*2=0.25$. The total effect that is largest but still not inconsistent with our data ($\alpha=0.25$) is $A=26$ (from two-tailed tests) and thus the average effect per unit would be about $26/4 = 6.5$ percentage points of turnout. Figure 5 shows this shift in the areas of surprise/plausibility. In this figure, we see that all $A$ from 12 to 14 are equally unsurprising (where all atomic hypotheses cannot be rejected; $p=1$ for all). And the hypothesis that the same effects hold across units is less difficult to maintain: $A=12$ or $\tau=4$ would be the most difficult hypothesis about constant effects to reject ($p=1$) and we see the constant effects confidence interval for $A$ ranging from 9 to 18 or for $\tau$ from 3 to 9.

[Figure 5 here]

Midland and Battle Creek, Michigan, are a very interesting pair of cities. They had extremely low turnout before the experiment was conducted and showed a kind of perverse turnout pattern after the intervention. By excluding this pair, we gain much more precision to answer questions about positive treatment effects. If we had more than one such pair, we may worry about why our treatment backfired or had harmful effects for some cities. With this design we are left with a tantalizing piece of evidence that is not entirely incompatible with that from other studies also showing that turnout interventions
matter much more for some voters than for others (Berinsky, Burns, and Traugott (2001); Berinsky (2005); Hansen and Bowers (2009)).

**Summary**

Did the newspaper advertisement intervention have an effect? We can never answer such a question directly. Rather, we can talk about “the probability of an effect” in the Bayesian framework or “the probability of an effect given a hypothesis” in the frequentist framework. Since this study was randomized and was small, we have worked here within the frequentist framework, and especially with some extensions of the framework that can be linked back to the pioneering work on the invention of randomized experiments by R.A. Fisher (1935) and recent extensions and developments by P. Rosenbaum. Fisher would change the question about effects to a question comparing a hypothesis to an observed value: “If the intervention had no effect, how surprising would it be to observe what we do observe?” In answer to this question, we have to say that it would not be very surprising to see the kinds of turnout differences extant in the current study under Fisher’s sharp null. Yet we also can say that this result is very sensitive to the presence of one pair of cities which showed a large and negative post-treatment difference in turnout. What kinds of hypotheses about effects can we exclude as overly surprising based on these data? Our best answer allows each treated city to have its own effects. No more than 28 total points of turnout are compatible with our data (which amounts to about 7 points per unit). We can narrow this upper interval and exclude the hypothesis of no effects by excluding the pair showing an aberrant and large negative
effect. If, in some rare circumstances, newspaper advertisements would depress turnout and in most others it would increase it, then we could say that our study shows evidence of a small positive effect of turnout (on those cities which, for reasons beyond the scope of this paper, are in the majority). If we are likely to see large chance variations in treatment assignment (where the underlying mechanism is the same across all cities but, by chance, turnout in some treated cities is observed lower than turnout in control cities), then we cannot claim to have observed a treatment effect which is distinguishable from zero in this small study. So we are left wondering about whether backfiring turnout interventions would be systematically observed for some types of cities in larger studies and about the possible mechanisms for such effects or whether we merely have a chance aberration in this one deployment of a newspaper advertisements experiment.

**Evaluating Cost-Effectiveness**

We acknowledge that our point estimates for treatment effects range widely and are associated with considerable uncertainty. Even so, what could we glean about the probable cost-effectiveness of newspaper advertising as a means of increasing voter turnout? If we suppose that one newspaper ad increases turnout by 1.5 percentage points (the observed difference in mean turnout between our treatment and control cities), this would suggest newspaper advertising may be competitive with other get-out-the-vote tactics in terms of cost-effectiveness. The average city in our sample has a population of 60,000, of whom approximately 70% are eligible to vote. Approximately 75% of voting eligible citizens are registered to vote, which means that an average city has 31,500
registered voters. Raising turnout among registered voters by 1.5 percentage points in an average city implies an increase of 473 votes. On the cost side of the equation, purchase of a half page of newspaper advertising is an average expenditure of $2,500 per city. Paying $2,500 to produce 473 votes—at just about $5 per vote—is a bargain, putting nonpartisan newspaper advertisements on par with radio advertisements in terms of cost effectiveness (Panagopoulos and Green 2008; 2011) and rendering them somewhat more cost effective than advertisements shown on cable television (estimated to produce votes at a rate of $15 per vote) (Green and Gerber 2008: 132-133; Green and Vavreck 2008). The typical nonpartisan, direct mail campaign generates votes at more than $60 per vote; commercial phone banks often produce votes at rates of $30-90 per vote (Green and Gerber 2008, chapter 6; Nickerson 2007b; Arceneaux, Gerber and Green 2006). Even relatively efficient grassroots methods, such as door-to-door canvassing or high-quality volunteer phone banks, can produce votes at a rate of $20 per vote (Green and Gerber 2008, chapter 3; Nickerson 2007b).

Conclusion

As the first field experiment to examine the mobilization effects of political advertising in print media, this study offers a number of methodological and substantive insights. In terms of the methodology of design, this experiment demonstrates the feasibility of studying newspapers’ effects using random assignment in real-world settings. The research paradigm used here is a systematic and reproducible method that
can be applied to further research on print media and other forms of mass communication.

To date, field experiments on the effects of the mass media advertising are still rare, but they are growing in number. Randomized mass media interventions have been deployed to shed light on how television (Green and Vavreck 2008) and radio advertisements (Panagopoulos and Green 2008; 2011) influence voting behavior. Some of the advantages of such interventions include the fact that subjects are exposed to these messages in naturalistic environments, absorbing messages in the same way that they would under ordinary conditions. Furthermore, outcomes are measured in an unobtrusive and externally valid manner. Given random assignment, causal inference can be generated reliably.

This initial foray into investigating the impact of newspaper advertisements on electoral participation using field experimental techniques reveals some promising findings and provides a guidepost for further research. To begin with, subsequent studies would allow us to expand the power of the current project significantly. Since this is the first study to evaluate the impact of newspaper advertisements on electoral behavior, power calculations were difficult given that there was no existing baseline for year-to-year variability in rates of participation.

The current study also reflects a limited exploration of the full power of newspapers as a medium. Budgetary constraints, for example, restricted us to running only one ad in each locality. An expanded study would allow us to procure more comprehensive coverage in the treatment markets, expanding the overall reach and frequency of exposure to the newspaper messages. Relative ease in ad production also
makes it possible to vary message content in future experiments. Voters in the current study, for example, were exposed exclusively to nonpartisan get-out-the-vote messages. Additional research would allow us to investigate how the results may (or may not) change if the appeal is partisan in nature, although recent work suggests differences between partisan and nonpartisan appeals may be minimal (Panagopoulos 2009). Additional extensions of this research can evaluate the degree to which newspaper advertising decisions can influence editorial coverage of the campaign or endorsements in local newspapers.

Despite the limitations we acknowledge, the findings of this study suggest newspaper advertising can play a role in increasing voter turnout. The analyses we conduct and describe above present the first direct evidence derived from a field experimental study of newspaper advertisements. Moreover, we argue that the field experimental methodology using a matched pairs design is a productive way to measure the effects of newspaper advertising on political behavior and can help place the findings of observational studies into perspective.
References


Bartels, Lawrence. 1993. “Messages Received: The Political Impact of Media Exposure.”


Table 1: Experimental Sample (Treatment and Control Groups)

<table>
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<tr>
<th>Pair Code</th>
<th>Treatment (T)</th>
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<th>City</th>
<th>Newspaper</th>
<th>Turnout (t-1)</th>
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Figure 1: Differences between treated and control units on baseline covariates of using boxplots with scatterplots overlaid. The thick gray horizontal segments are the means within the control and treated groups. Thin lines in the middle of the boxes are medians. Pairs of cities are shown using symbols. The variables are all pair-mean centered.
Figure 2: The distribution of outcomes in the control and treatment groups. The values of turnout are “pair aligned” or “pair mean centered” so that we can focus attention on the paired differences rather than on the differences in turnout levels between pairs.
Figure 3: The unadjusted comparison of controls versus treated (left most plot) as compared to the results of adjusting the treatment group based on the Hodges-Lehmann (HL) point estimates derived from two different test statistics (Wilcoxon paired signed ranks and the mean difference). Notice that the control group remains the same and it is the hypotheses which imply changes in the distribution of the treatment group compared to the unadjusted, observed, outcomes.
Figure 4: Box-plots of two-tailed p-values for tests of total turnout effects (sums of unit-specific additive turnout effects). The limits of the two-sided 87% confidence intervals are show in pink. The dashed horizontal line at $p = (1 - .87)$ shows the dividing line for exclusion of A from the interval. The circles show the means of the p-values.
Figure 5: Box-plots of two-tailed p-values for tests of total turnout effects (sums of unit-specific additive turnout effects) after removing Battle Creek and Midland. The limits of the two-sided 87% confidence intervals are show in pink. The dashed horizontal line at $p = (1 - .87)$ shows the dividing line for exclusion of $A$ from the interval. The circles show the means of the $p$-values.
All Politics is LOCAL

And your local government is responsible for things that affect your everyday life. From tax assessment to police protection to transportation and clean drinking water — it’s all a part of local government.

As a voter, you have the power to make informed decisions about the candidates and the issues. Now more than ever, your community and your country need to hear what you think. But your opinion won’t be heard unless you vote this Election Day.

Make a difference. Vote November 8th.